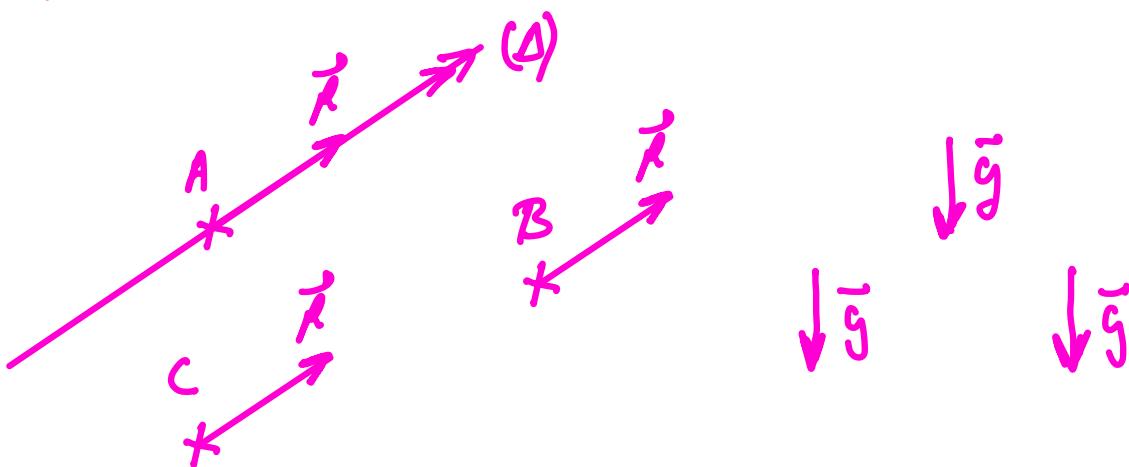


Les Torseurs

Champ de Vecteurs constant : \vec{R} (Résultante)

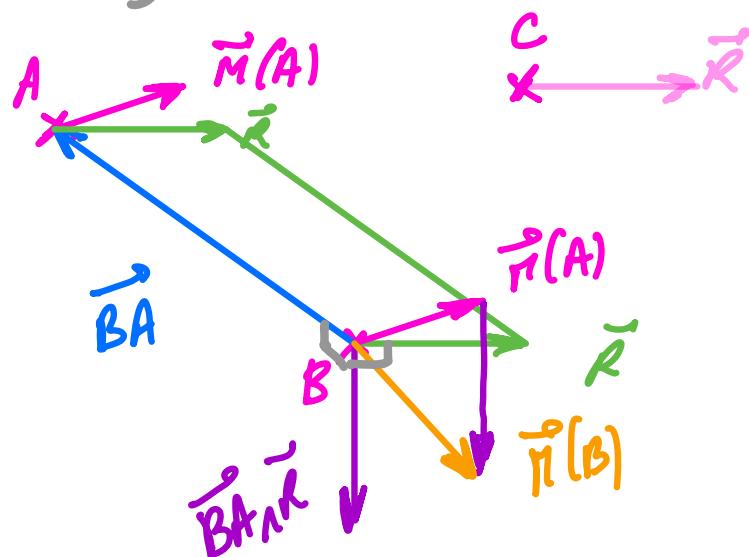


Champ de Vecteurs Antisymétrique $\vec{M}(A)$

$$\vec{M}(B) = \vec{M}(A) + \vec{BA} \wedge \vec{R}$$

BABAR

$$\mathcal{C} = \{\vec{R}, \vec{M}(A)\}_A \equiv \{\vec{R}, \vec{n}(B)\}_B \quad (\text{Varignon})$$



Torseur : $\mathcal{C} = \{\vec{R}, \vec{M}(A)\}_A \equiv \{\vec{R}, \vec{M}(B)\}_B$

$$= \begin{pmatrix} R_x & M_{x(A)} \\ R_y & M_{y(A)} \\ (b) R_z & M_{z(A)} \end{pmatrix}_A$$

(Pluckerien)

Somme de deux Tenseurs

$$\mathcal{Q}_1 = \{\vec{R}_1, \vec{M}_1(A)\}_A$$

$$\mathcal{Q}_2 = \{\vec{R}_2, \vec{M}_2(B)\}_B$$

$$\mathcal{Q}_1 + \mathcal{Q}_2 = \{\vec{R}_1 + \vec{R}_2, \vec{M}_1(C) + \vec{M}_2(C)\}_C$$

Multiplication de 2 Tenseurs

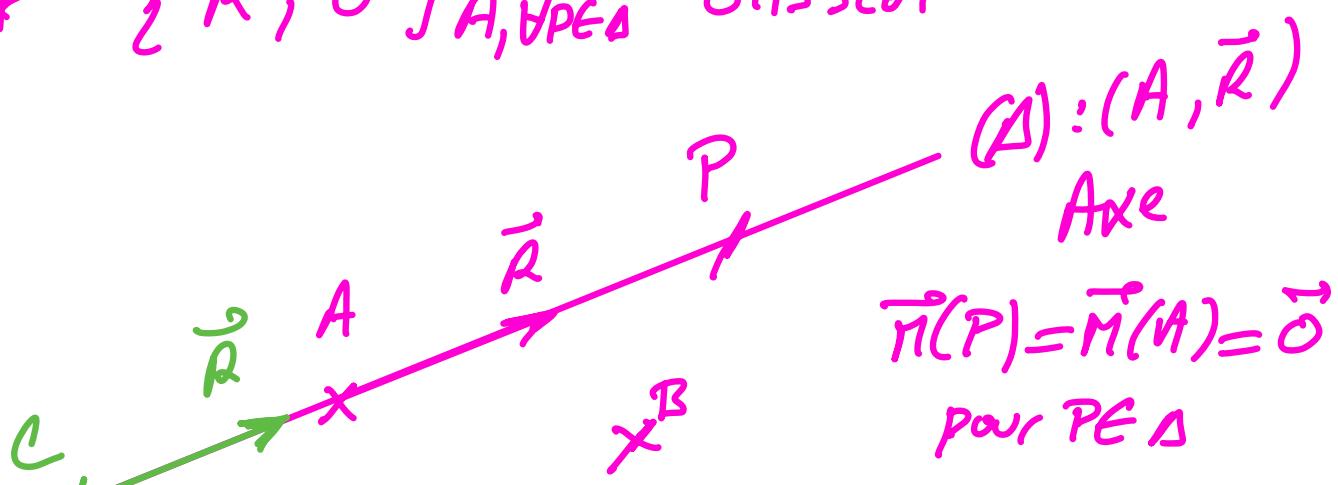
$$\begin{aligned} \mathcal{Q}_1 \otimes \mathcal{Q}_2 &= \vec{R}_1 \cdot \vec{M}_2(P) + \vec{R}_2 \cdot \vec{M}_1(P) \\ &= \sum_{\epsilon \in \mathbb{N}} \text{ comment} \end{aligned}$$

Tenseurs Particuliers

* $\{\vec{0}, \vec{0}\}_{AM}$ Tenseur Nul

* $\{\vec{0}, \vec{M}(P)\}_{AP}$ Tenseur Couple

* $\{\vec{R}, \vec{0}\}_{A, HPEA}$ Glisseur



Cinématique : $\mathcal{D}(S/R) = \{\vec{s}(s/R), \vec{v}(A, s/R)\}_B$

$$\vec{v}(B, s/R) = \vec{v}(A, s/R) + \vec{BA}_1 \vec{s}(s/R)$$

Réultante cinématique $\rightarrow \vec{s}(s/R)$

"Moment" cinématique $\rightarrow \vec{v}(A, s/R)$

$$(b) \begin{vmatrix} P & M \\ Q & N \\ R & W \end{vmatrix} \quad \begin{vmatrix} w_x & v_x \\ w_y & v_y \\ w_z & v_z \end{vmatrix}_A \quad \leftarrow$$

STATIQUE

$$\vec{m}(B, \vec{F}) = \vec{BM}_1 \vec{F}$$

$$M \xrightarrow{x} \vec{F} \quad \vec{m}(B, \vec{F}) = \vec{m}(A, \vec{F}) + \vec{BA}_1 \vec{F}$$

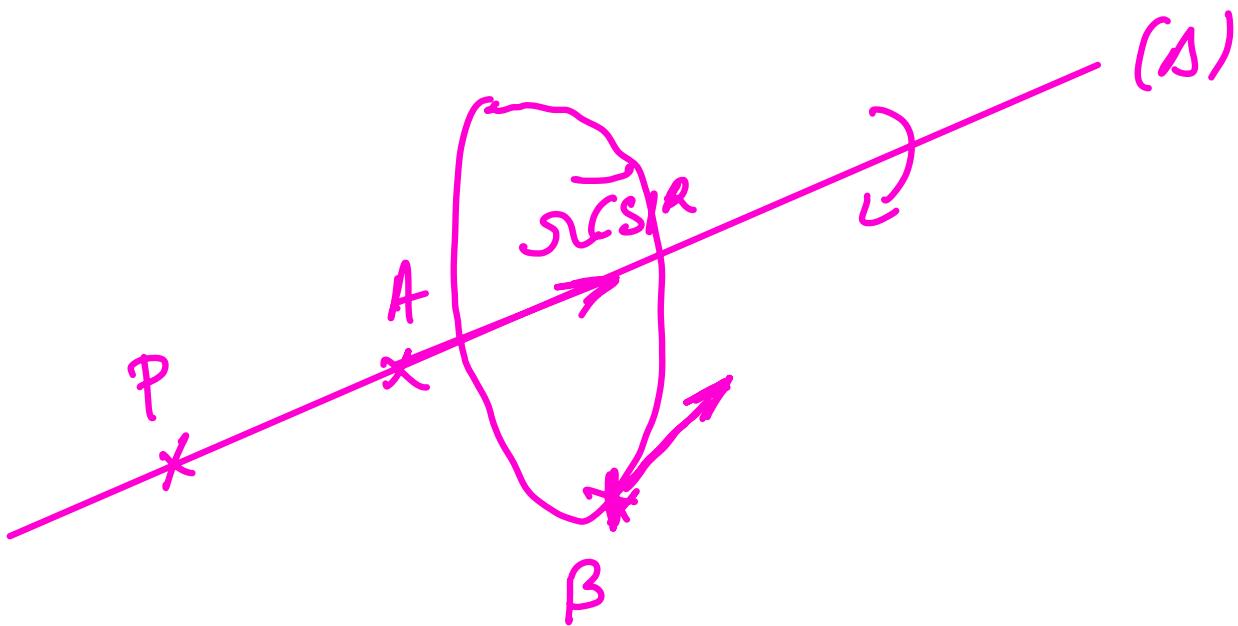
B_X

$$\mathfrak{f} = \{ \vec{F}, \vec{m}(A, \vec{F}) \}_A$$

$$(b) \begin{vmatrix} F_x & m_x(A) \\ F_y & m_y(A) \\ F_z & m_z(A) \end{vmatrix}_A \quad \begin{vmatrix} X & L \\ Y & M \\ Z & N \end{vmatrix}$$

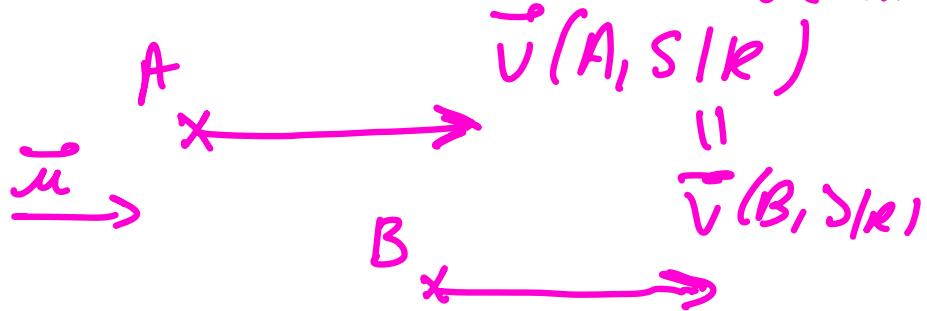
Réactante statique: \vec{F}
 Moment statique: \vec{m}

Glisseur: $V(S/R) = \{\vec{s}(S/R), \vec{o}\}_{A, t \in PC}$
 $A : (A, \vec{s}(S/R))$

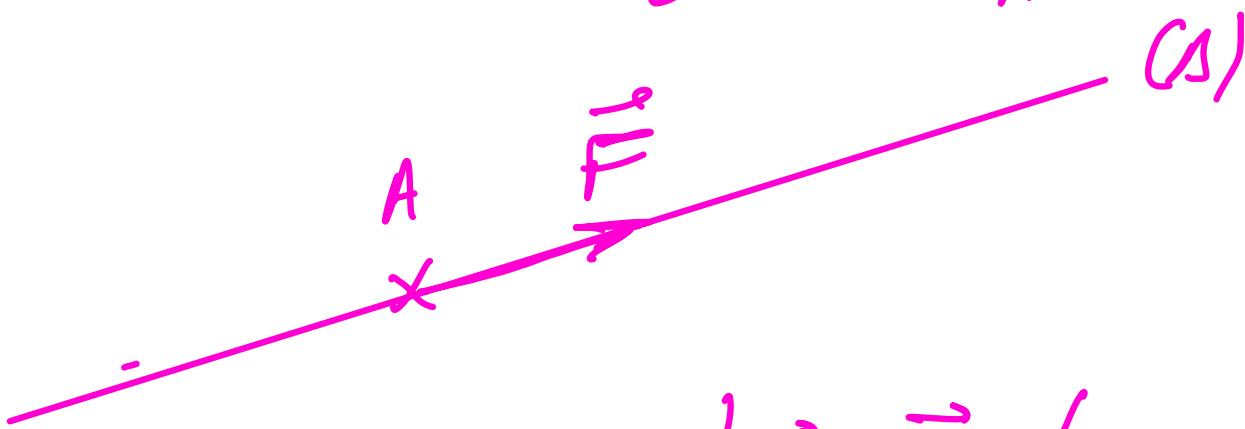


Couple $\{\vec{o}, \vec{v}(P, S/R)\}_{P, VP}$

$\vec{s}(S/R) = \vec{o} \rightarrow$ Translation de direction $\vec{\mu}$



Statique : $\{\vec{F}, \vec{o}\}_A$



Couple $\{\vec{o}, \vec{C}_m\}_{Ap}$