

Révisions SUP

Theme 1 TD0

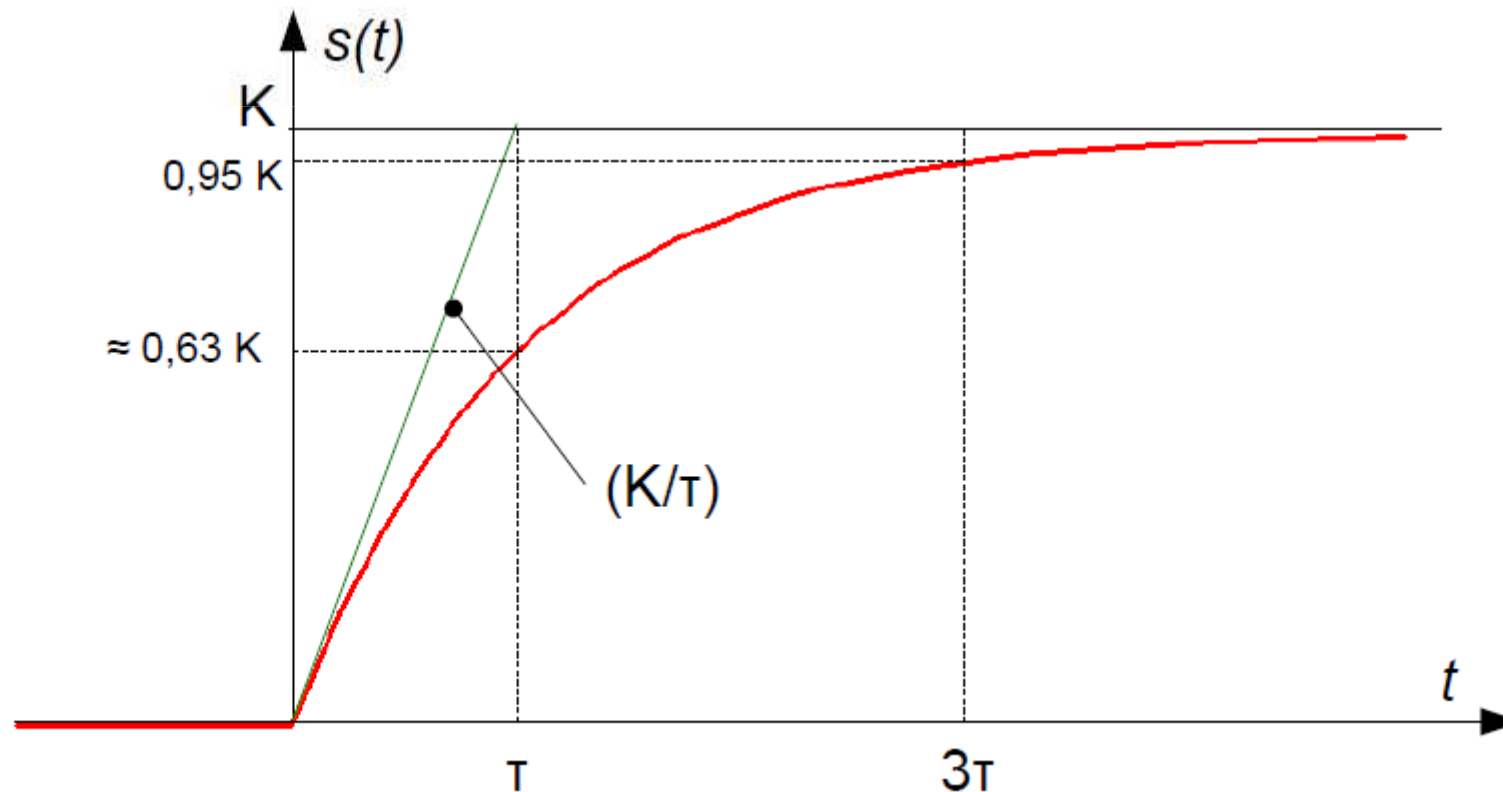
Identifications temporelles

RAPPEL : Système du 1^{er} ordre

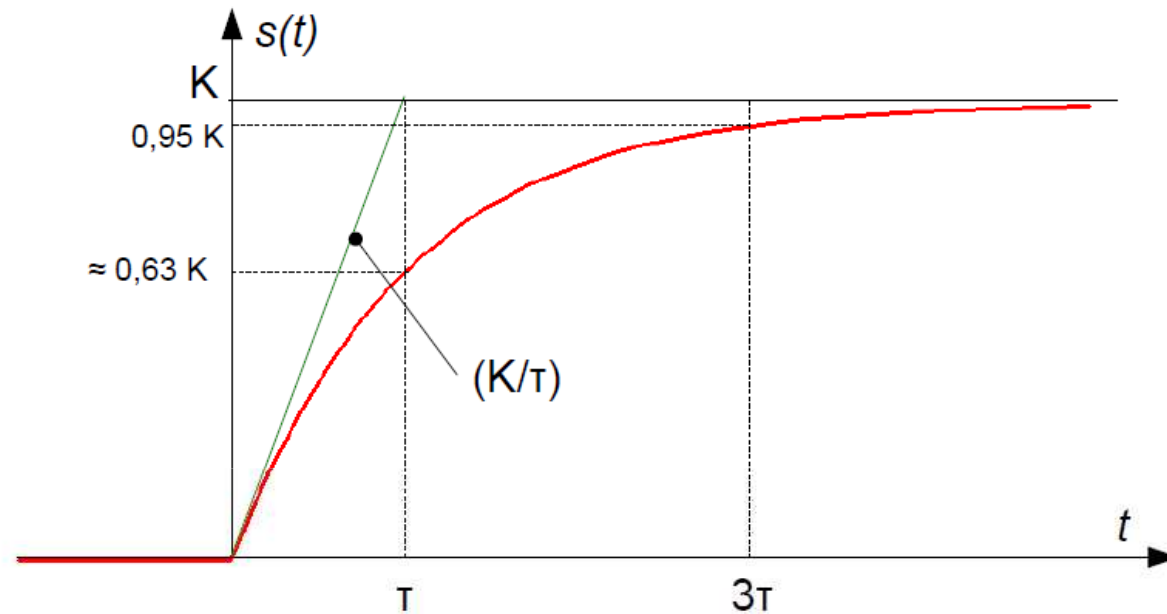
Fonction de transfert : $H(p) = \frac{K}{1 + \tau p}$

Réponse indicielle : $s(t) = K(1 - e^{-t/\tau}) \cdot u(t)$

Tracé :

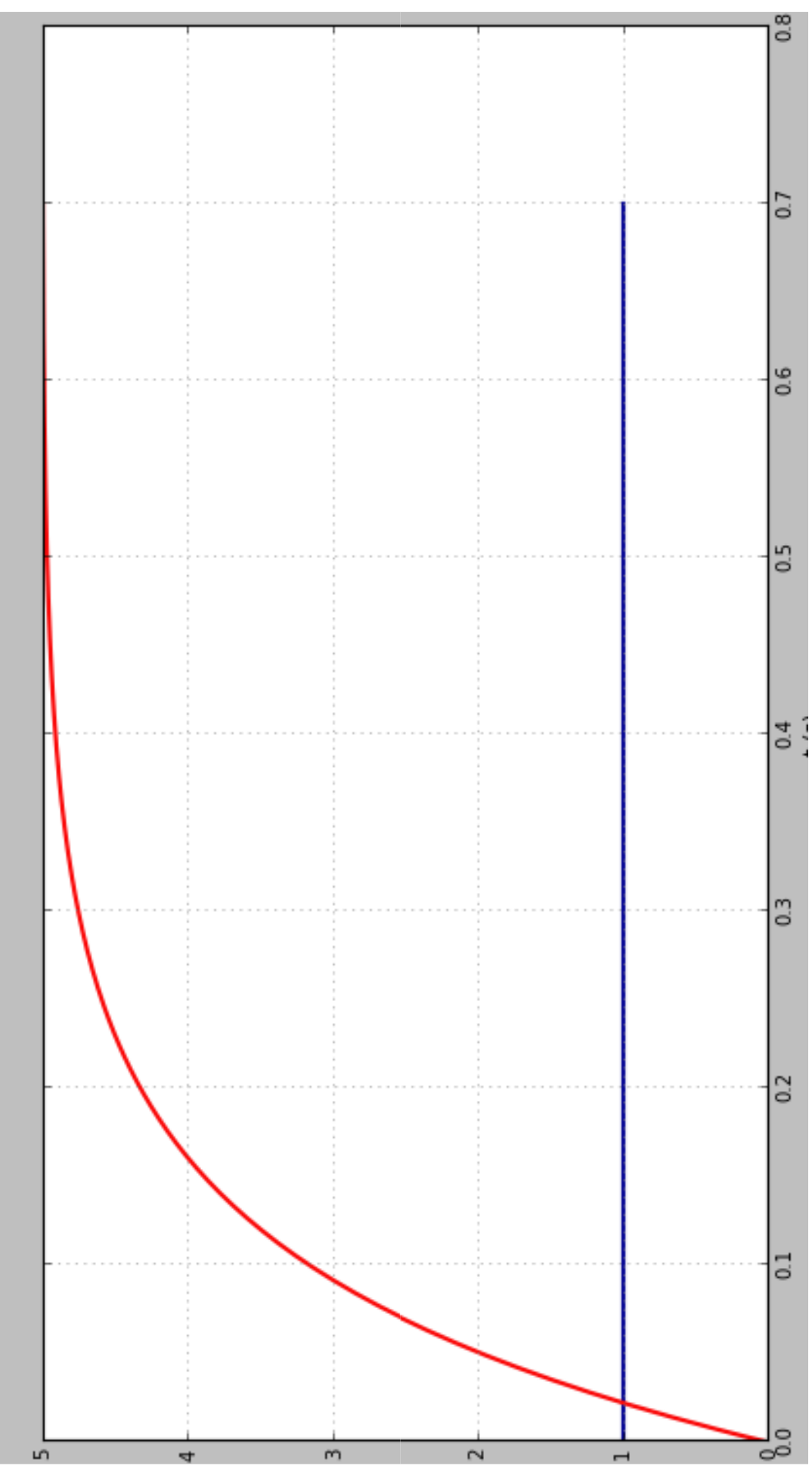


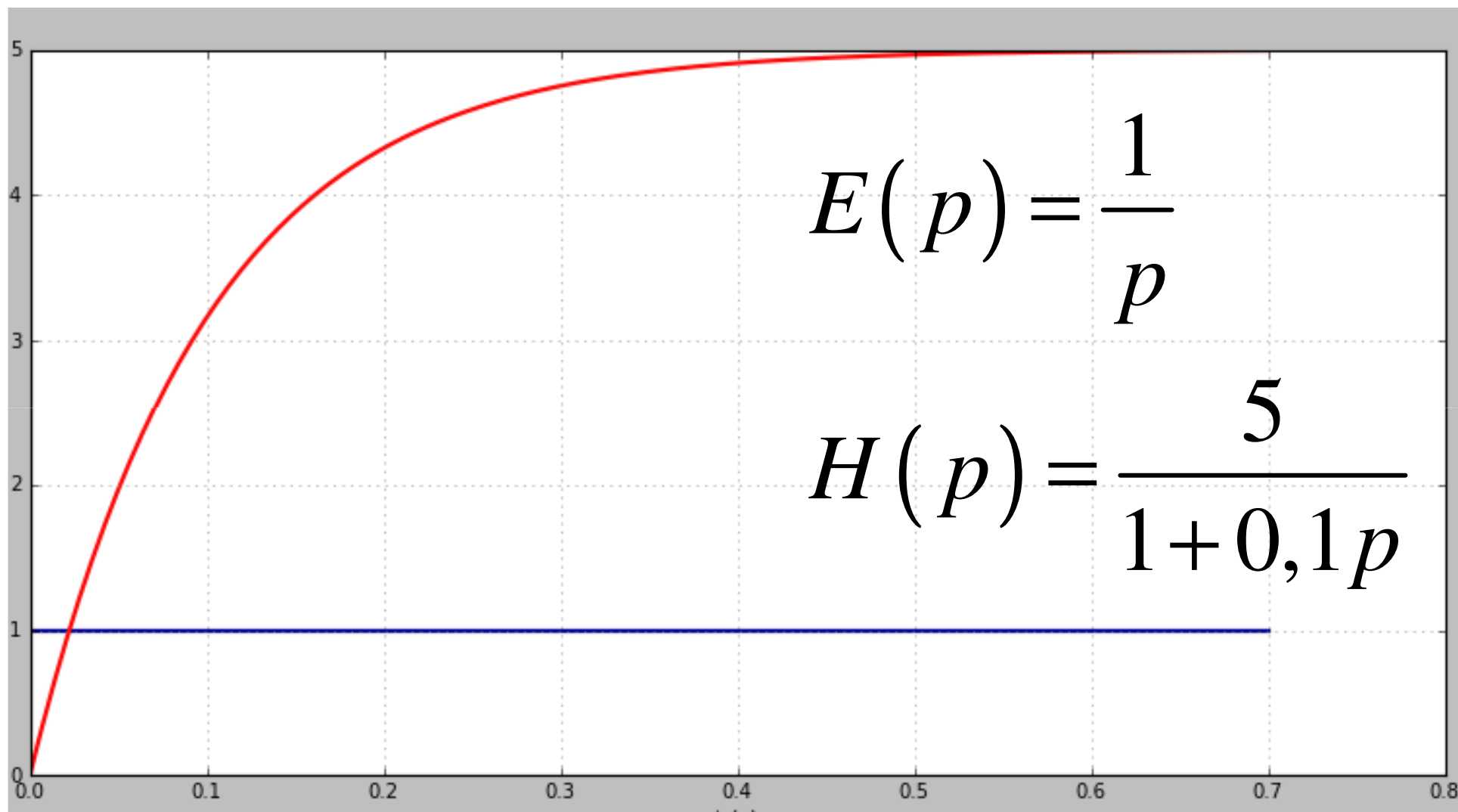
RAPPEL : Système du 1^{er} ordre

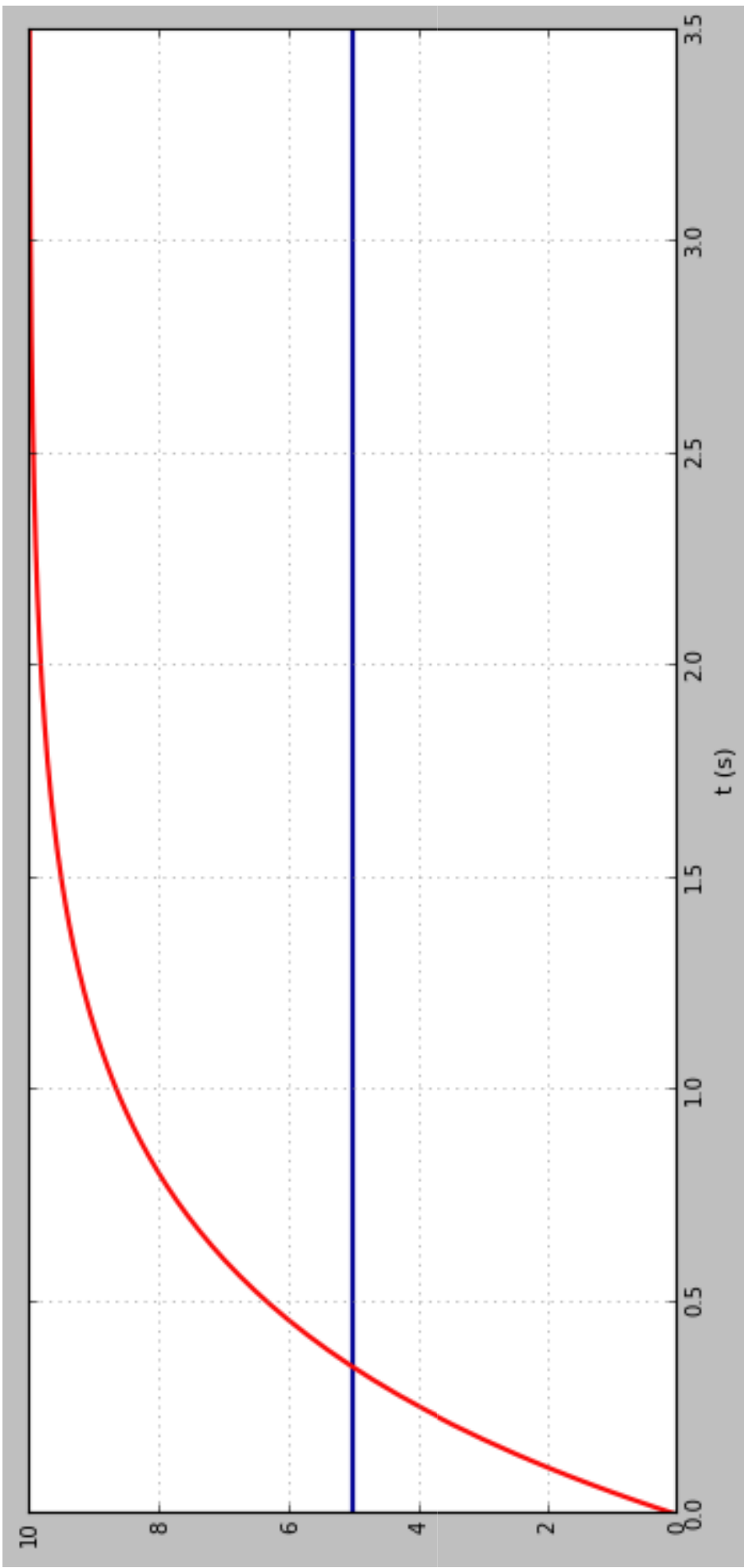


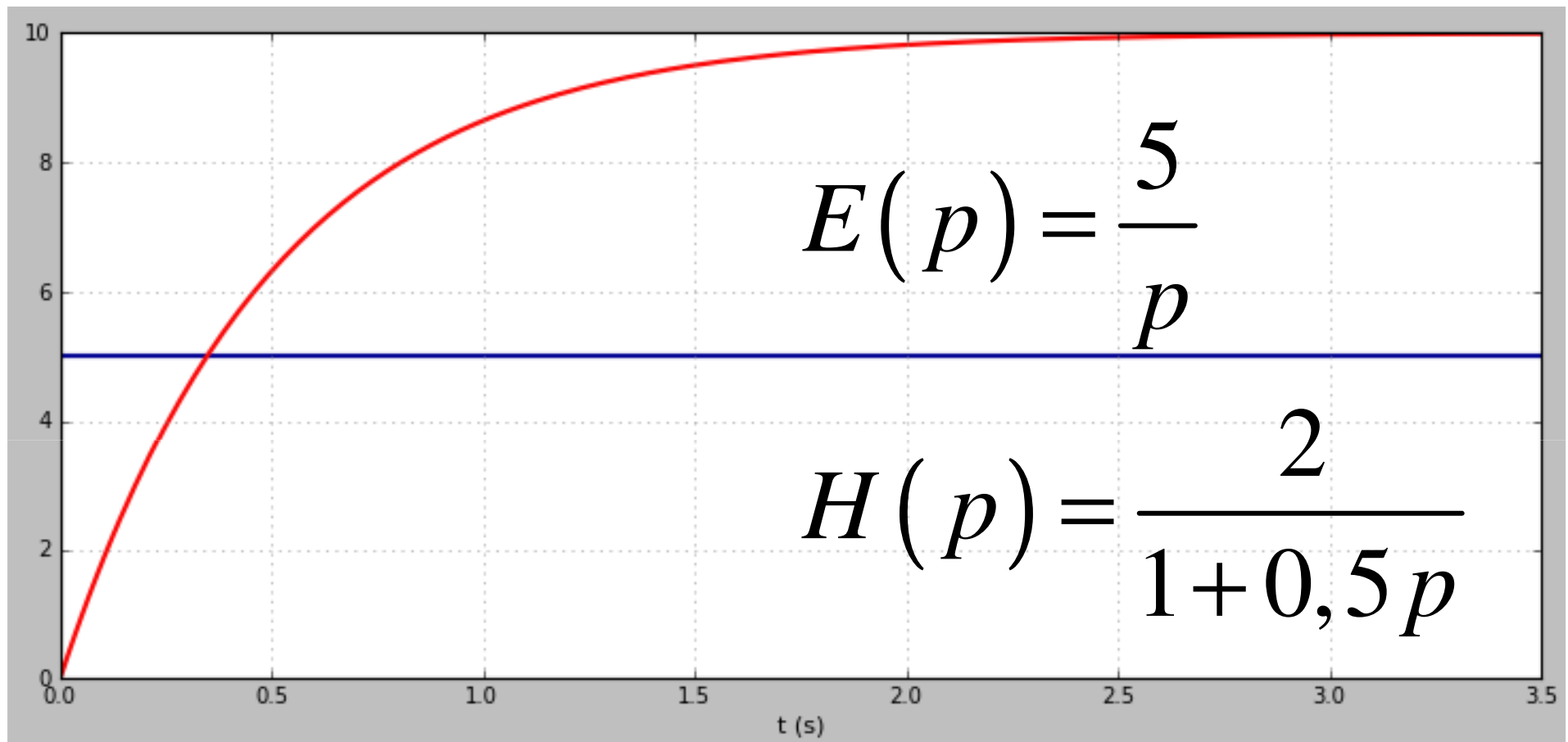
Propriétés :

- $s(0)=0$
- Tangente à l'origine de pente $\frac{K}{\tau}$.
- $\lim_{t \rightarrow +\infty} s(t) = K$ (asymptote horizontale en $+\infty$, permet de déterminer K).
- Croissance monotone (pas de dépassement ni d'oscillations).
- $s(\tau) \approx 0,63 K$.
- $t_{5\%} \approx 3 \tau$.









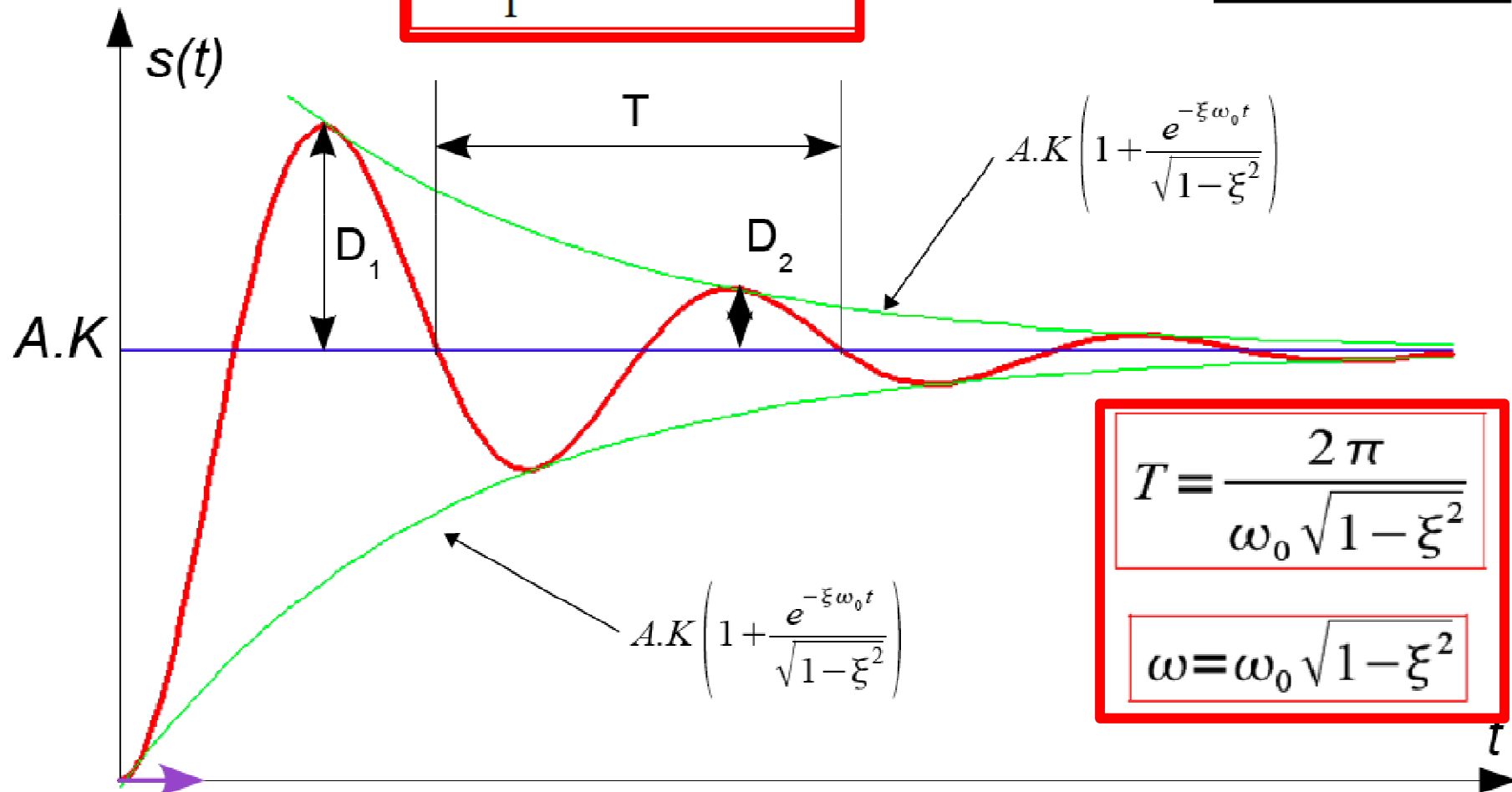
RAPPEL : Système du second ordre

- Réponse indicielle : $e(t) = A.u(t)$

$$D_1 = AK e^{\frac{-\pi\xi}{\sqrt{1-\xi^2}}}$$

$$\xi < 1$$

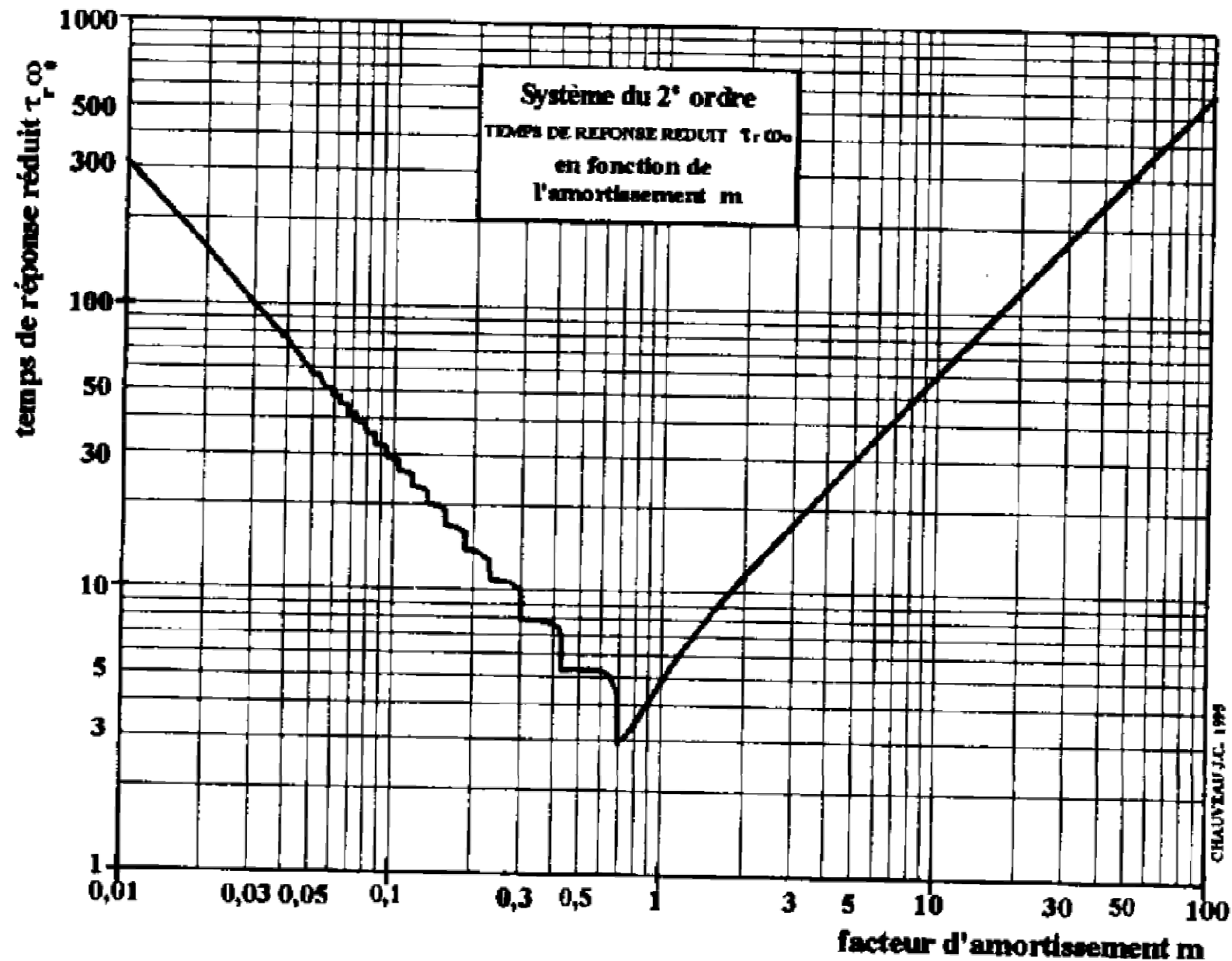
Système peu
amorti oscillant

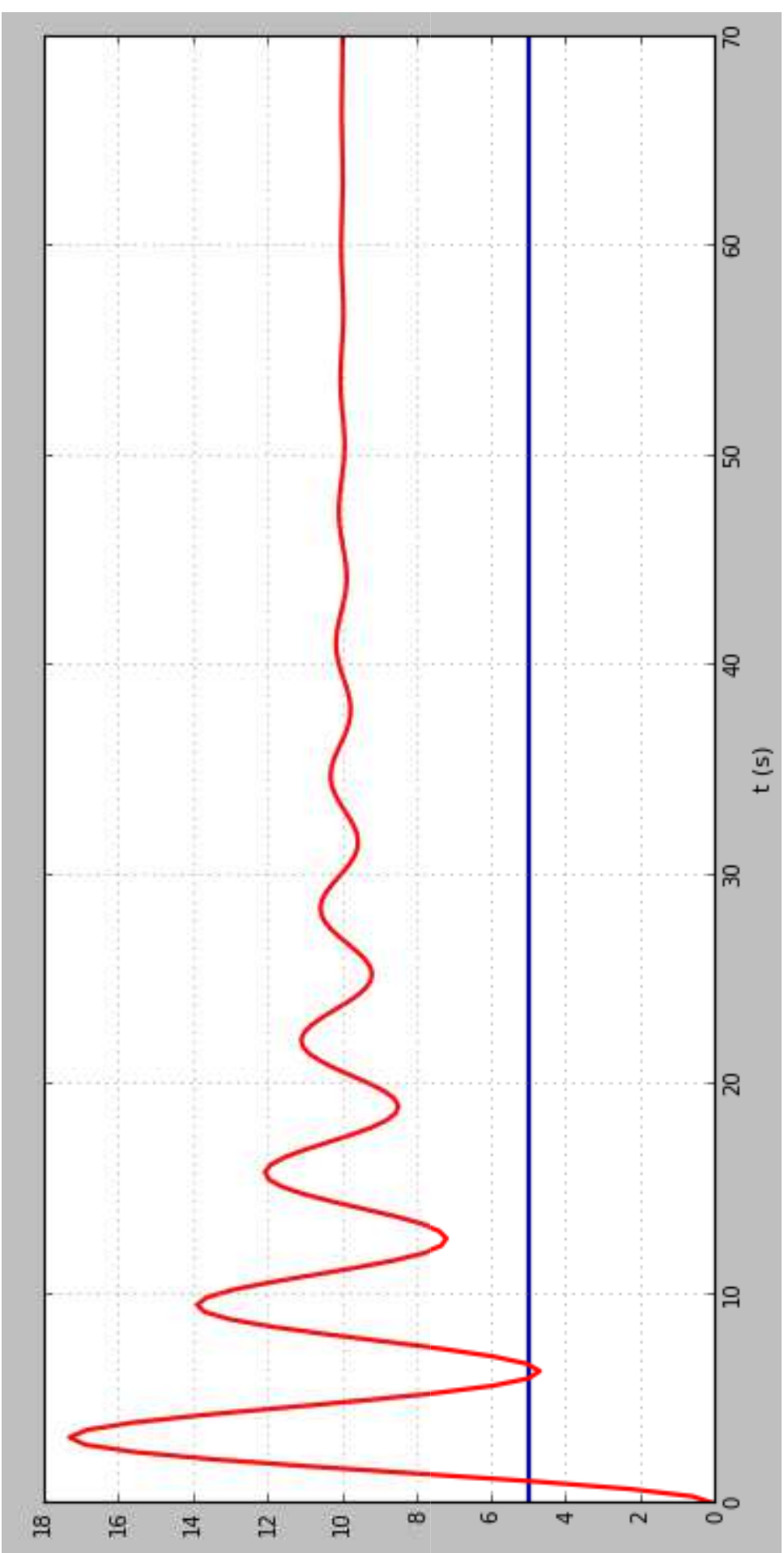


$$T = \frac{2\pi}{\omega_0 \sqrt{1-\xi^2}}$$

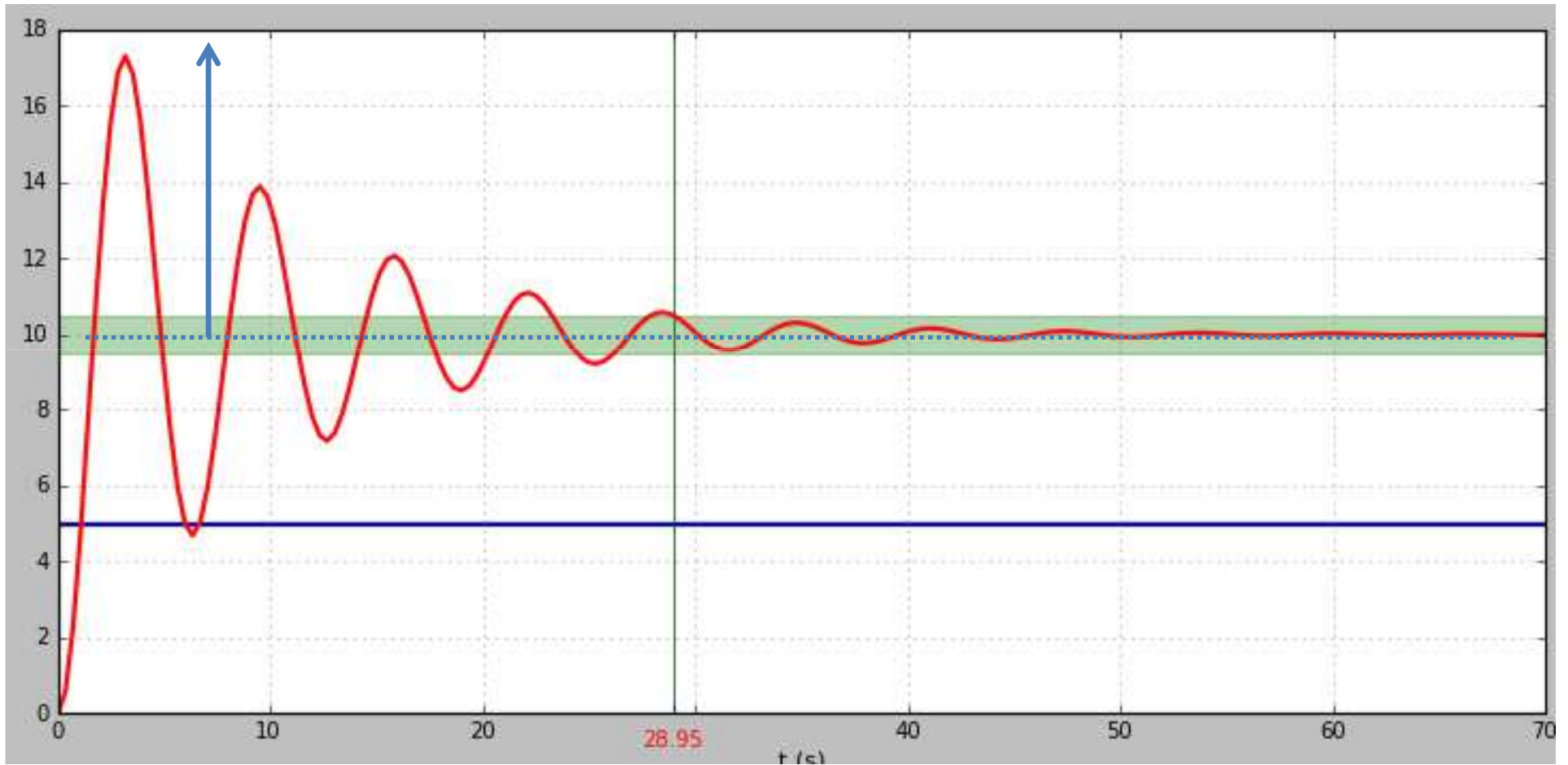
$$\omega = \omega_0 \sqrt{1-\xi^2}$$

RAPPEL : Système du second ordre





$$D_1 = 10e^{-\frac{\pi\xi}{\sqrt{1-\xi^2}}} \approx 7 \rightarrow \xi \approx 0,1$$



A l'aide de la calculatrice

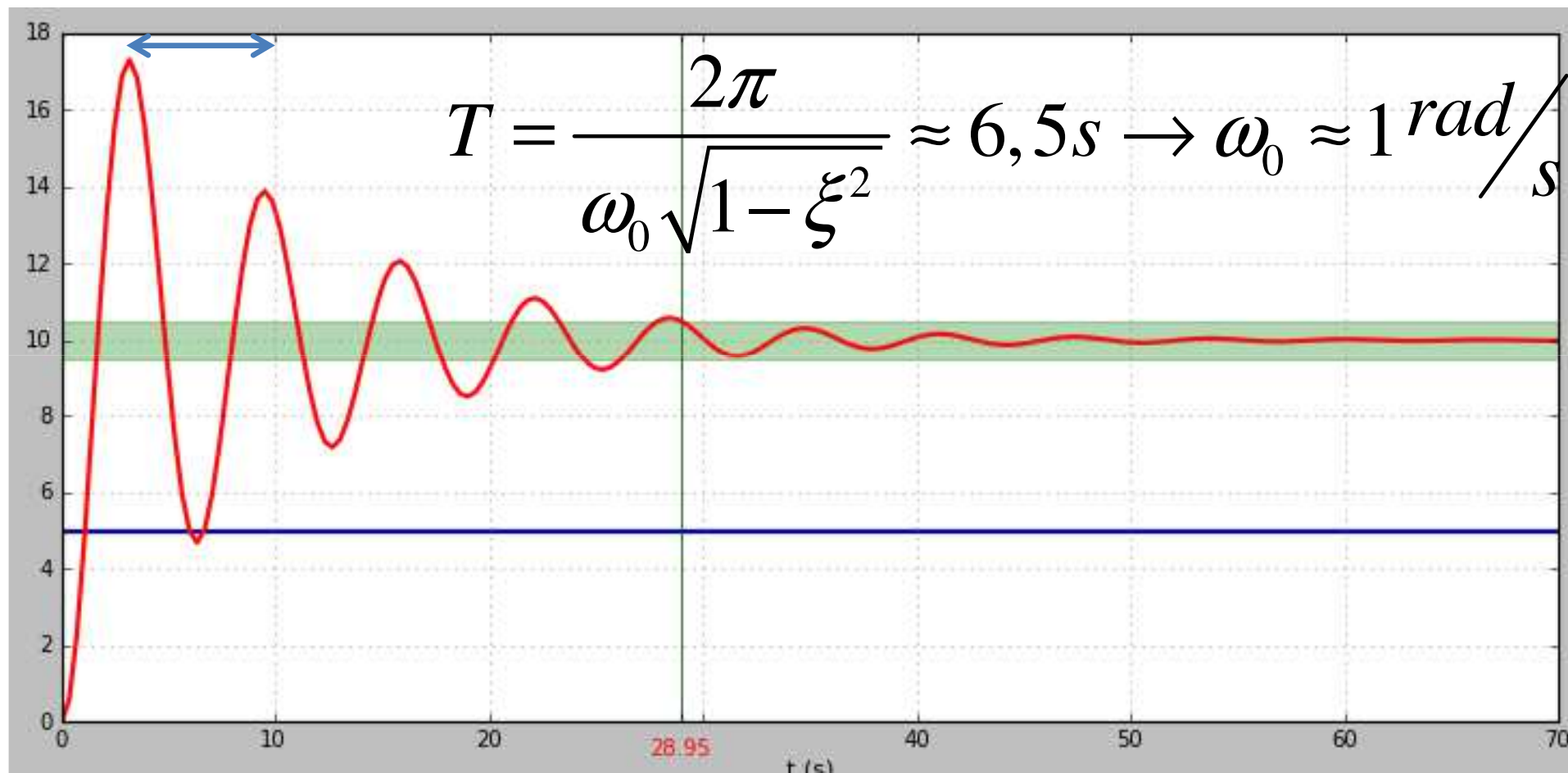
$$D_1 = 10e^{-\frac{\pi\xi}{\sqrt{1-\xi^2}}} \approx 7 \rightarrow \xi \approx 0,1$$

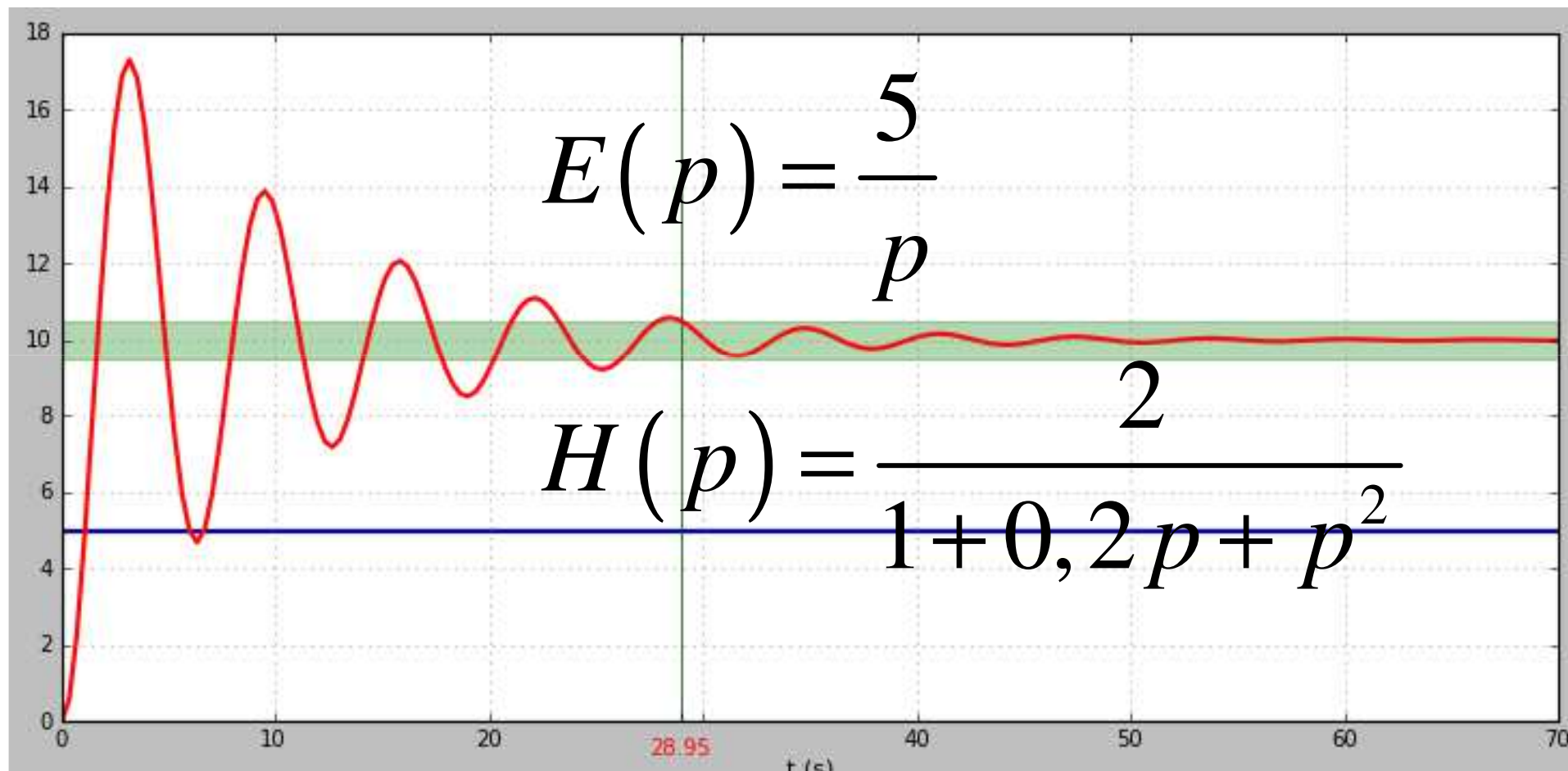
$$\text{solve}\left(10e^{-\frac{\pi x}{\sqrt{1-x^2}}} = 7, x\right)$$

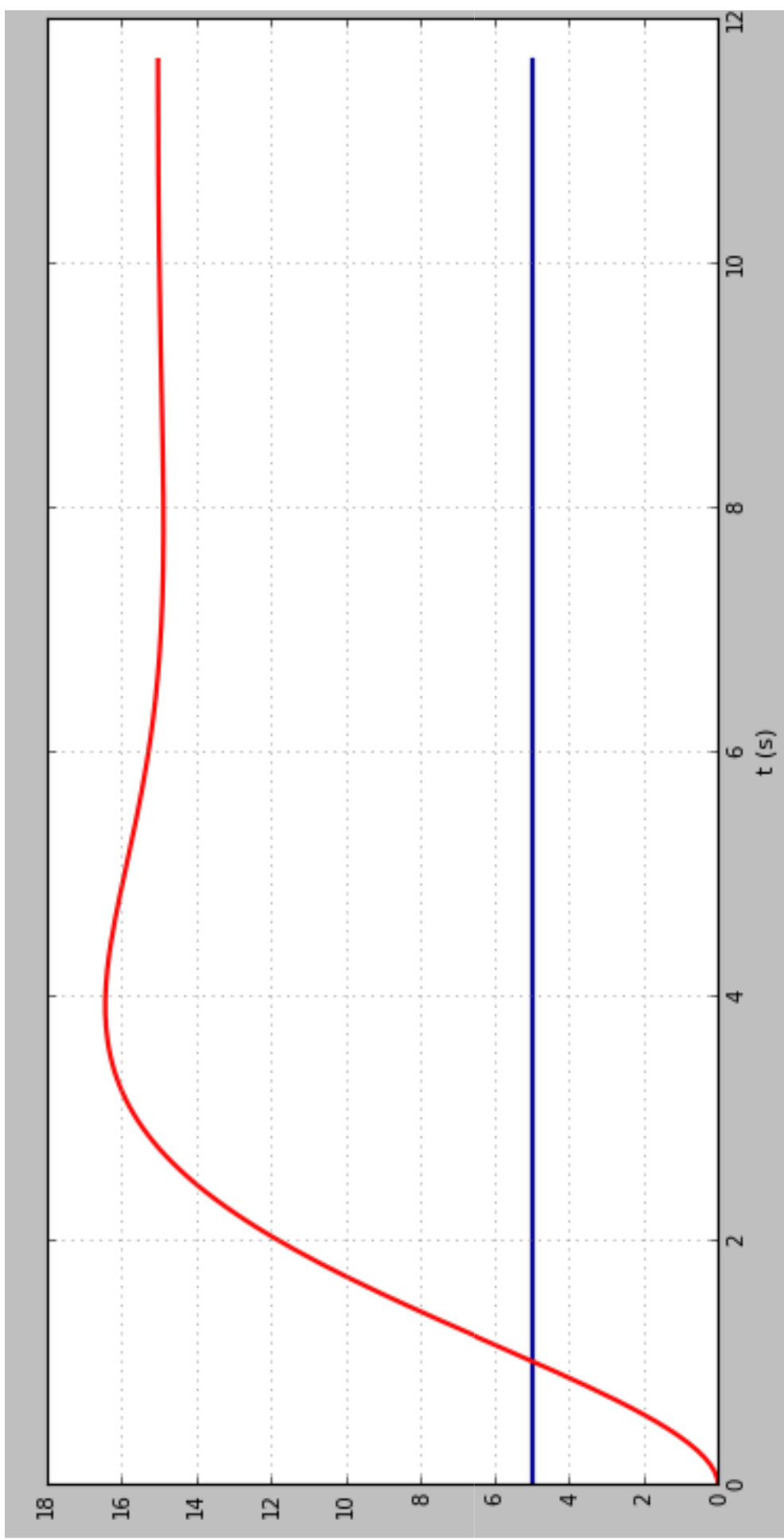
Bonne approximation à la main car beaucoup d'oscillations $\xi \ll 1$

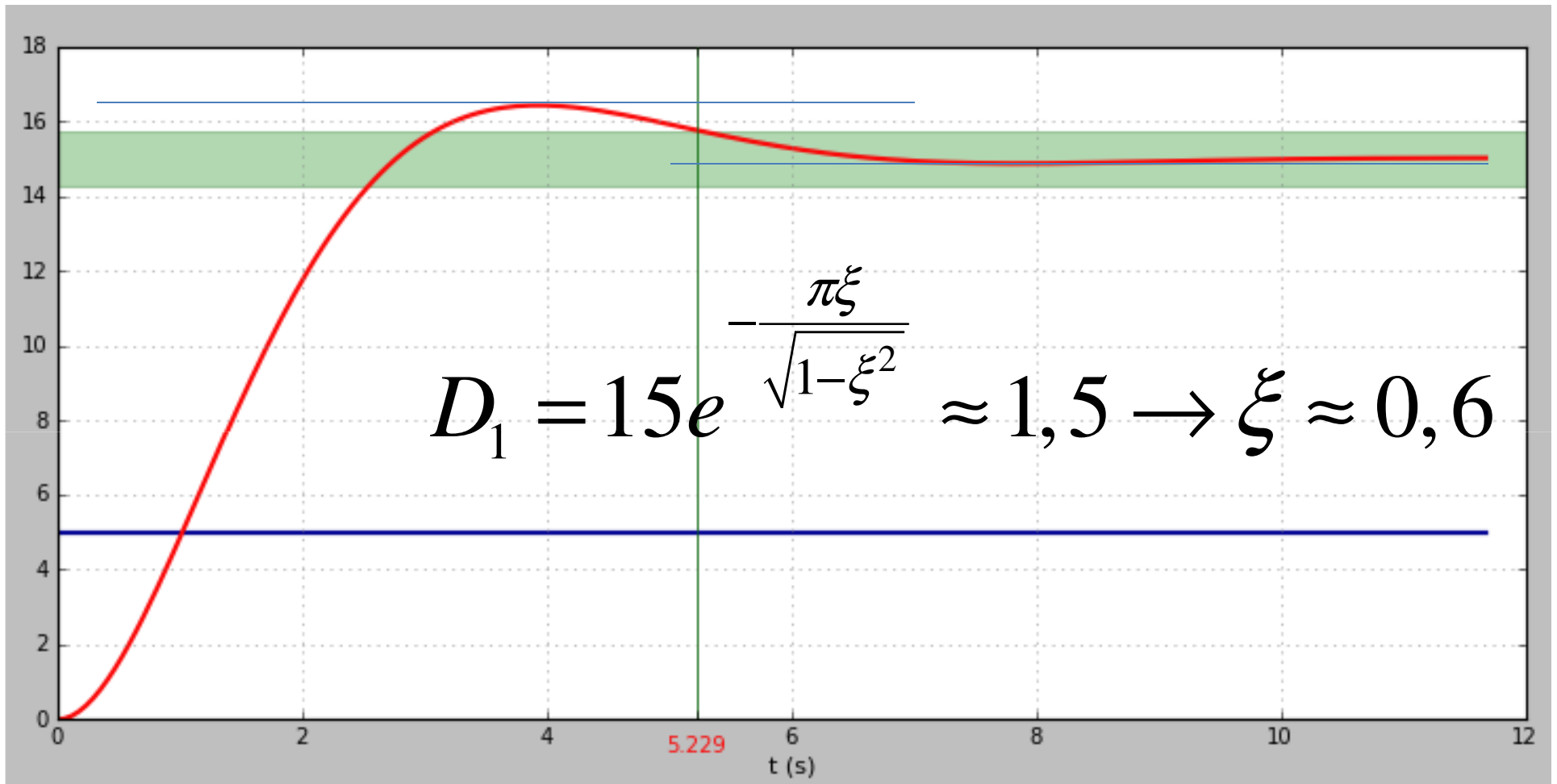
$$D_1 = 10e^{-\frac{\pi\xi}{\sqrt{1-\xi^2}}} \approx 7 \rightarrow \xi \approx 0,1$$

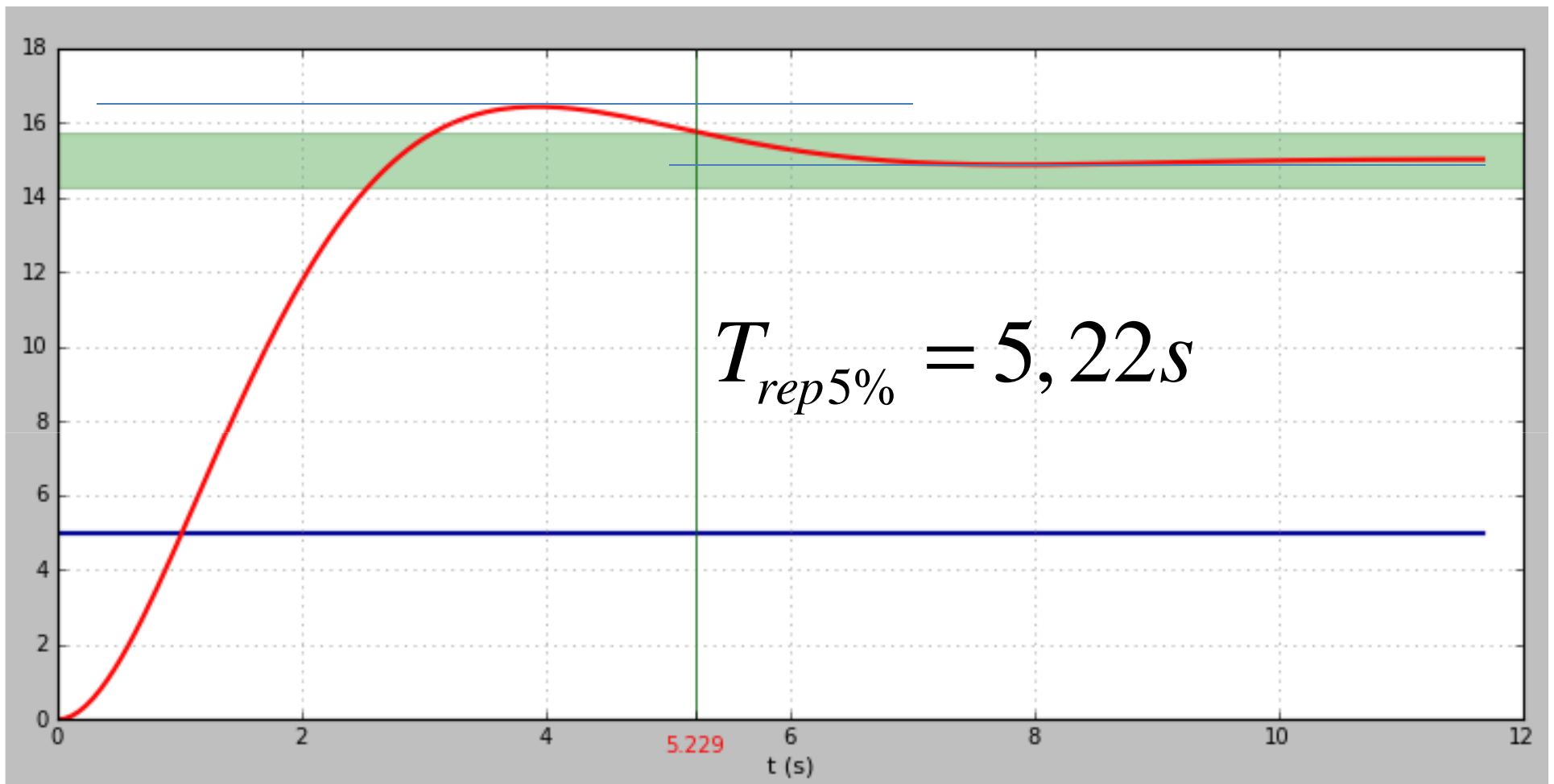
$$\Leftrightarrow D_1 = 10e^{-\pi\xi} \approx 7 \rightarrow \xi \approx 0,1$$











RAPPEL : Système du second ordre

